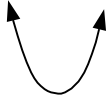
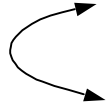



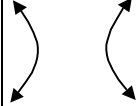
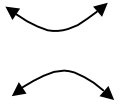


# Conics Chart

Updated: January 24, 2009.

| <i>General Quadratic Equation: <math>Ax^2 + Bxy + Cy^2 + Dx + Ey + F = 0</math>, where <math>A, B,</math> and <math>C</math> are not all zero.</i> |   |   |   |   |   |   |   |
|--|---|---|---|---|---|---|---|
|  | Parabola  | Parabola  | Circle  | Ellipse   | Ellipse   | Hyperbola   | Hyperbola   |
|  |  |  |  |  |  |  |  |
| Standard Form of Equation  | $y = a(x-h)^2 + k$  | $x = a(y-k)^2 + h$  | $(x-h)^2 + (y-k)^2 = r^2$   | $\frac{(x-h)^2}{a^2} + \frac{(y-k)^2}{b^2} = 1$                                   | $\frac{(y-k)^2}{a^2} + \frac{(x-h)^2}{b^2} = 1$                                     | $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$                                     | $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$                                     |
| Vertices   | (h, k)  | (h, k)  | Center: (h, k)  | (h+a, k), (h-a, k)  | (h, k+a), (h, k-a)  | (h+a, k), (h-a, k)  | (h, k+a), (h, k-a)  |
| Foci   | (h, k + 1/4a)   | (h + 1/4a, k)   |   | (h+c, k), (h-c, k)  | (h, k+c), (h, k-c)  | (h+c, k), (h-c, k)  | (h, k+c), (h, k-c)  |
| Directrix  | $y = k - (1/4a)$  | $x = h - (1/4a)$  |   |   |   |   |   |
| Axis of Symmetry   | $x = h$   | $y = k$   |   |   |   |   |   |
| Direction of opening   | Up if $a > 0$<br>Down if $a < 0$  | Right if $a > 0$<br>Left if $a < 0$   |   |   |   |   |   |
| Latus Rectum   | $ 1/a $   | $ 1/a $   |   |   |   |   |   |
| Direction of Major Axis  |   |   |   | Horizontal  | Vertical  |   |   |
| Length of Major Axis   |   |   |   | 2a units  | 2a units  |   |   |
| Length of Major Axis   |   |   |   | 2b units  | 2b units  |   |   |
| Direction of Transverse Axis   |   |   |   |   |   | Horizontal  | Vertical  |
| Length of Transverse Axis  |   |   |   |   |   | 2a units  | 2a units  |
| Length of Conjugate Axis   |   |   |   |   |   | 2b units  | 2b units  |
| Equations of Asymptotes  |   |   |   |   |   | $y-k = \pm \frac{b}{a} (x-h)$   | $y-k = \pm \frac{a}{b} (x-h)$   |